

e- / H- Plasmas: Enhanced Centrifugal Separation and Other Disparate Mass Effects

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Recent experiments quantify the strong centrifugal separation effects in e-/H- plasmas, here cylindrical columns with $n_e \sim 10^{17}/\text{cm}^3$, $B_z \sim 10 \text{ kG}$, $T \sim 25 \text{ eV}$, and H- fractions from 1% to 10%.

-- Most striking is the outward transport of H- on the sub-second timescale, substantially faster than the 10^4 sec predicted for collisional drag between species. [1] Here, the H- ions couple to the collective diocotron mode, causing algebraic damping of the mode at a rate proportional to the H- creation and outward transport

-- The thermalization of *axially* hot H- ions onto cold electrons is observed to be 20-40 times slower than expected for radially-overlapping species. In contrast, H- ions perp-heated by ICRH couple energy rapidly into parallel e- motion, suggesting a collective process. Similarly, the "inter-species" drag" damping of excited TG waves depends strongly on their radial mode number.

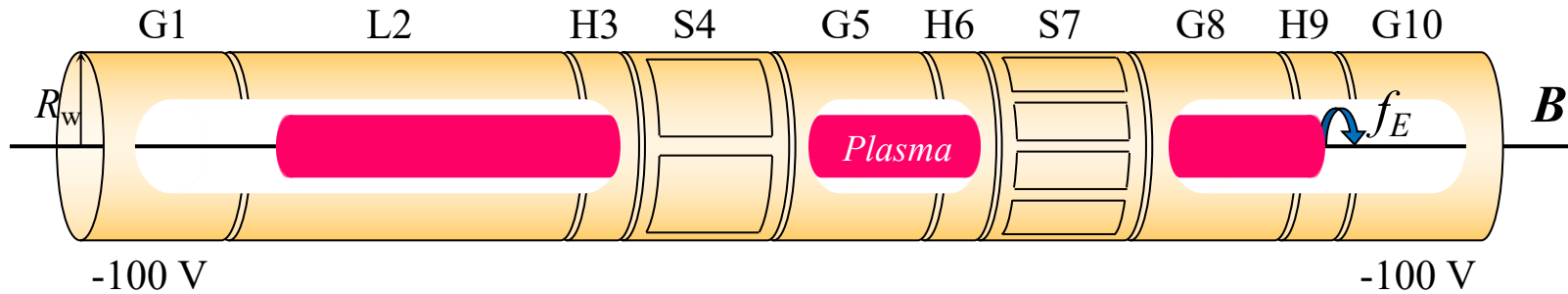
-- The recently developed "plasma modes thermometer" comparing diocotron and TG mode frequencies provides quantitative non-destructive information on the plasma temperature and H- fraction evolutions; but quantitative analysis of collisional and collective species couplings necessitates a MCP dump diagnostic for imaging H-.

[1] A.A. Kabantsev et al, AIP Conf. Proc 1928, 020008 (2018)

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"Pure" electron plasmas: excellent confinement properties,

$$\tau(B) \sim 10^4 \rightarrow 10^6 \text{ sec}$$



CAMV is a Penning-Malmberg trap with a phosphor and CCD camera downstream of G10 for quantitative dump diagnostic of electrons.

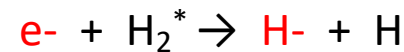
Electrons are emitted from a hot tungsten filament adjacent to G1.

Cyclotron radiation causes the un-neutralized electron plasma to cool to ~ 25 meV within 10 sec.

This temperature evolution can be quantitatively diagnosed by simultaneously measuring the frequencies of several diocotron (drift) modes and Trivelpiece-Gould (plasma) modes.

central density:	$n_0 \approx 10^7 \text{ cm}^{-3}$
central potential:	$\varphi_0 \approx -30 \text{ V}$
plasma radius:	$R_p \approx 1.2 \text{ cm}$ ($R_w = 3.5 \text{ cm}$)
plasma length:	$L \approx 34 \text{ cm}$ (H3-H9)
equilibrium temperature:	$T = 0.025 \rightarrow 1 \text{ eV}$
magnetic field:	$B = 8 \rightarrow 16 \text{ kG}$
collision frequency	$\nu_c = 20 \rightarrow 0.1 \text{ kHz}$
$\mathbf{E} \times \mathbf{B}$ rotation frequency:	$f_E \sim 10 \text{ kHz}$
axial bounce frequency:	$f_{be} \sim 100 \rightarrow 600 \text{ kHz}$
electron plasma frequency:	$f_{pe} \sim 30 \text{ MHz}, f_{TG1} \approx 2.9 \text{ MHz}$

Vacuum Pressure
 $P \sim 10^{-10} \text{ Torr}$



Hydrogen-minus ions are observed to form within the electron column, by electron attachment/replacement reactions on excited H_2 molecules transiting the column. The H^- has binding energy $E_{\text{bind}} \sim 0.74 \text{ eV}$.

That is, each (well-confined) electron may become a (less-well-confined) heavy H^- ion at a rate $\sim 1/\text{ksec}$.

This rate is about 10x lower when the apparatus walls are "cold", so experiments can be done at various "controlled" e^- to H^- conversion rates.

Frequency of the primary ($m_\theta = 1$) diocotron mode represents the total (net) charge line density of the plasma, $N_L(t)$, as

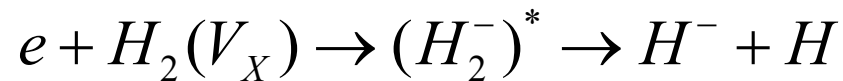
$$N_L(t) \equiv N_e(t) + N_{H^-}(t) - N_{H_2^+}(t), \text{ and}$$

$$f_{1d}(t) = \frac{ceN_L}{\pi BR_W^2} \left\{ 1 + \frac{R_W}{L} \left[\frac{j_{01}}{2} \left(\frac{1}{4} + \ln \frac{R_W}{R_p} + \frac{T}{e^2 N_L} \right) - 0.671 \right] \right\} \left[1 + \sigma \frac{D_1^2}{R_W^2} \right]$$

Frequency of the primary ($m_\theta = 0, k_z = 1$) eTG-mode represents the electron charge line density of the plasma, $N_e(t)$, as

$$f_{eTG1}(t) = \frac{1}{2L} \sqrt{\frac{2e^2 N_e}{m_e} \ln \frac{R_W}{R_p}} \cdot \left\{ 1 + \frac{3}{4 \ln(R_W/R_p)} \frac{T}{e^2 N_e} \right\} \quad e^2 N_e \sim 10 \text{eV}$$

Dissociative electron attachment (the main in plasma volume H^- production process) conserves the total charge line density $N_L(t)$



$$N_L(t) = N_e(t) + N_{H^-}(t) = \text{const}$$

The $m_\theta=1, k_z=0$ diocotron (drift) mode frequency f_{1d} depends equally on the electron and H- charge densities.

This mode shows weak exponential growth $\exp(\Gamma t)$ due to "wall resistance".

The $m_\theta=0, k_z=1$ Trivelpiece-Gould (plasma) mode frequency f_{eTG1} depends only on the electron density, since the heavier H- ions would oscillate at a 45x lesser frequency.

These mode frequencies depend differently on line-charge density N_L , plasma radius R_p , plasma length L , and temperature T .

The plasma temperature can thus be obtained from comparison of these and other (m_θ, k_z) modes

***eTG1* mode frequencies decrease as electrons "convert" to H-.
 Shown are 2 "controlled" conversion rates $p_{H^-} = 0.19$ and 1.2 /ksec,
 giving H- accumulation of 1.9% and 12% in 100.sec**

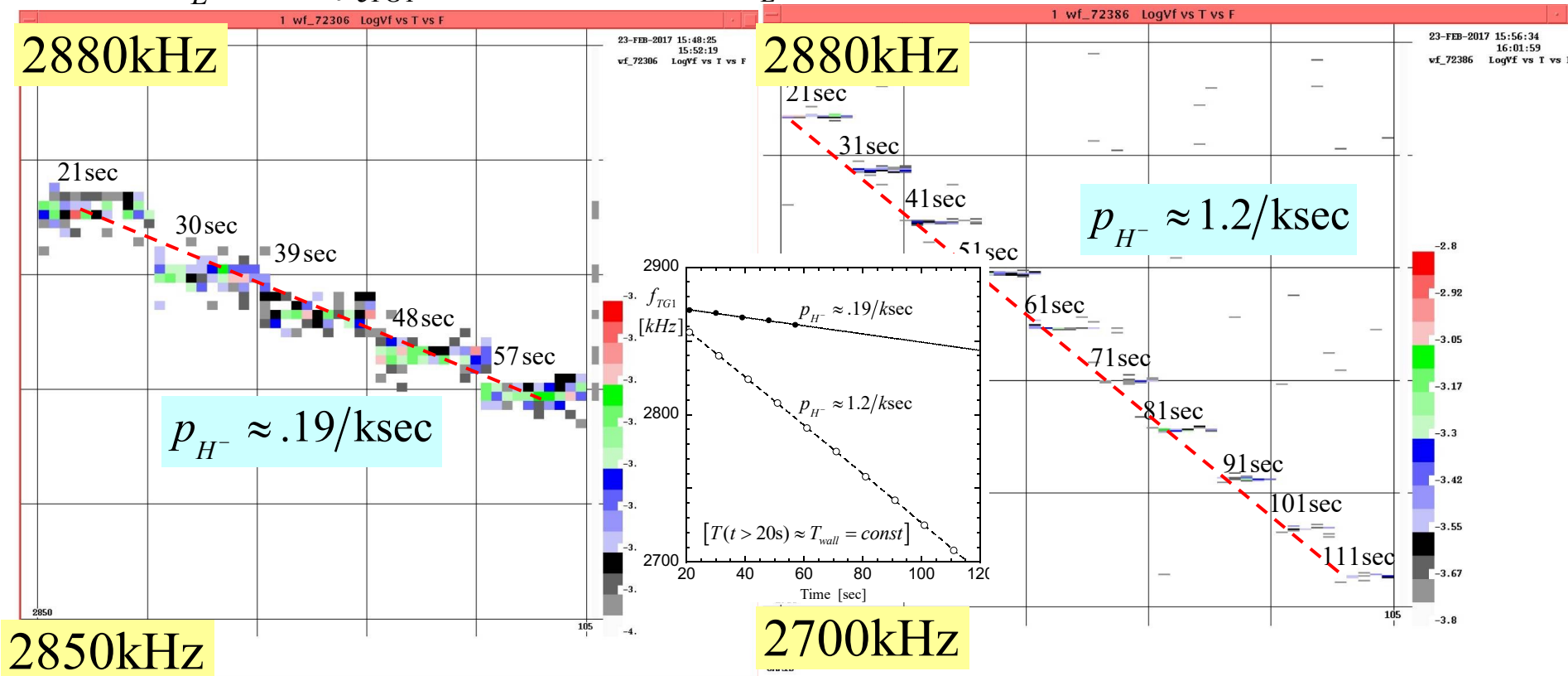
$$\frac{1}{N_L} \frac{dN_e}{dt} = \frac{2}{f_{eTG1}} \frac{df_{eTG1}}{dt} = -p_{H^-} \equiv -\frac{1}{N_L} \frac{dN_{H^-}}{dt}$$



The $m\theta=0, k_z=1$ Trivelpiece-Gould (electron plasma) mode frequency f_{eTG1} decreases as electrons convert to H-, since the H- do not respond at the electron oscillation frequency.

Here, thermally-excited TG modes are observed in 0.1msec time slices every few seconds, under "slow" and "fast" p_{H^-} conversion conditions.

The central plot shows the observed f_{TG1} decreasing proportional to H- accumulation.



$$\frac{\Delta f_{1d}(T)}{f_{1d}(0)} \approx \frac{R_W}{2L} \frac{\Delta f_{eTG1}(T)}{f_{eTG1}(0)} = \frac{1}{20} \frac{\Delta f_{eTG1}(T)}{f_{eTG1}(0)}$$

**iTG-shaked cleaning
of accumulated H^-
gives the instant**

$$N_L(t_*) = N_e(t_*) = N_L(0) - N_{H^-}(t_*)$$

The injected electron plasma cools from $T \sim 1\text{eV}$ to $T \sim 25\text{meV}$ in 10.sec.

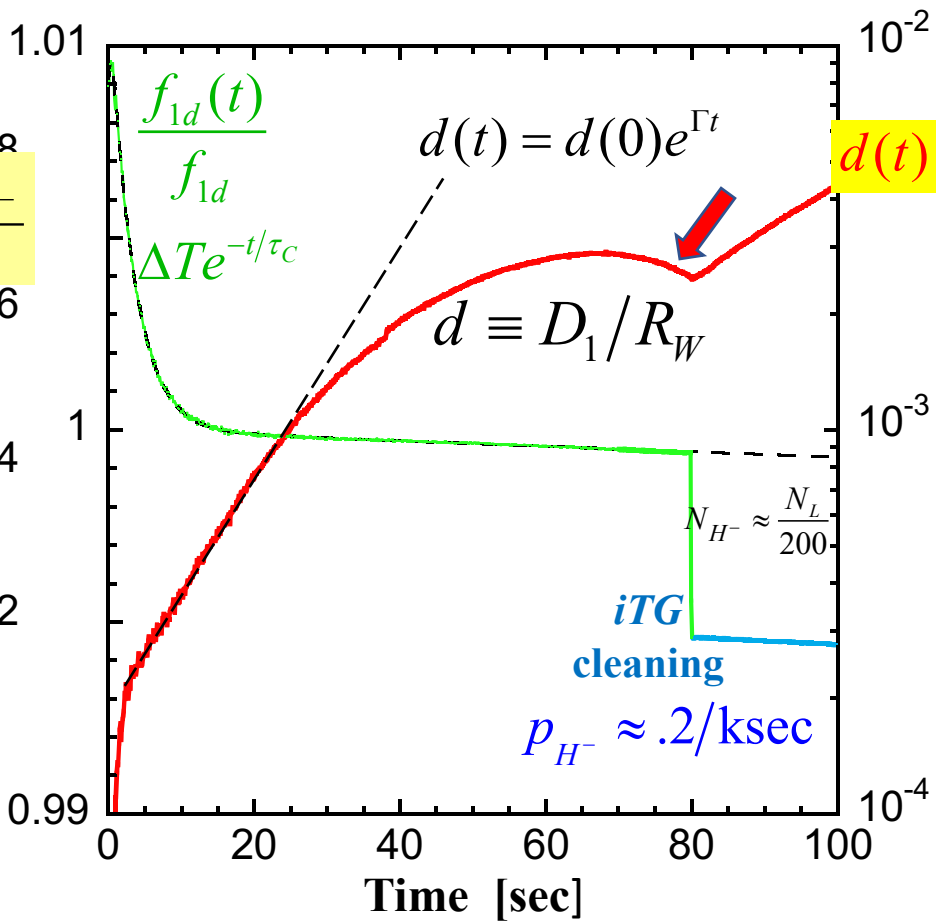
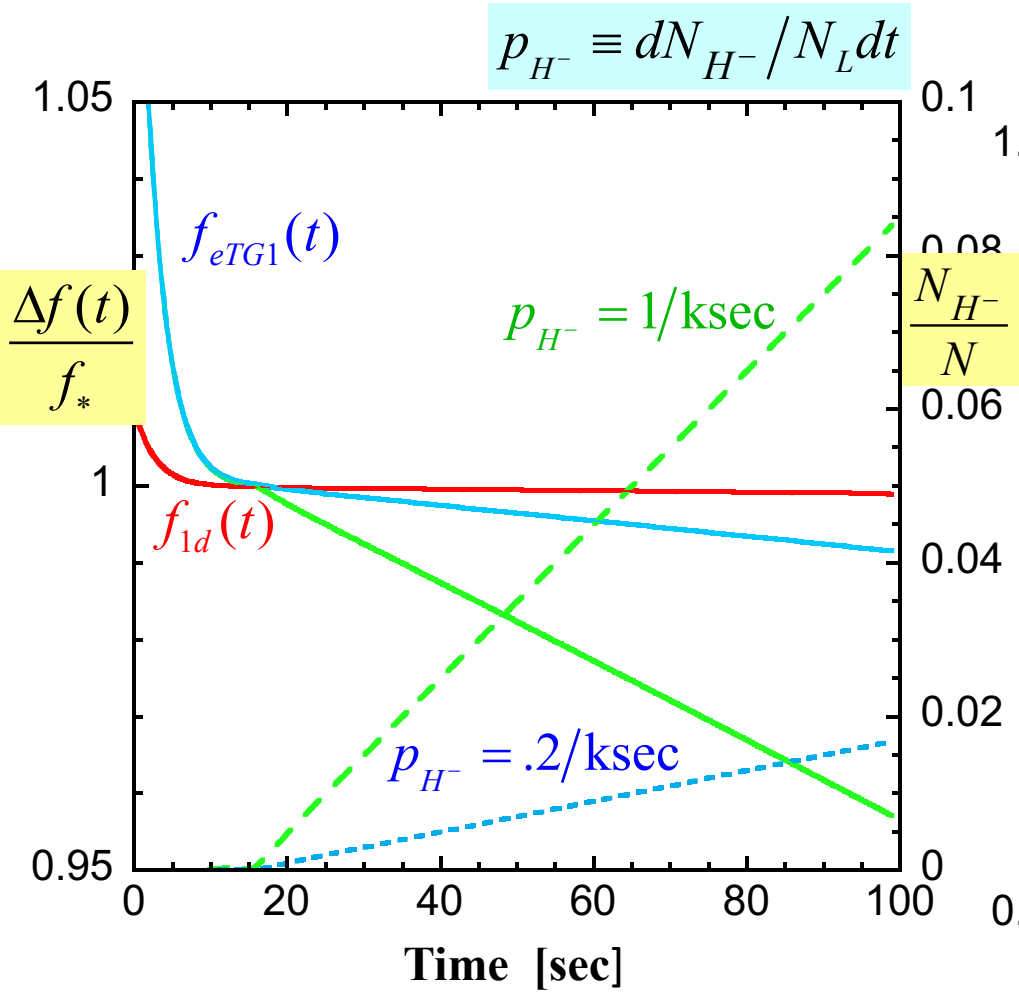
When cold, plasma electrons become heavy H^- ions at (controlled) rates: 1/ksec (green) or 0.2/ksec (cyan), accumulating to 2% or 8% in 100.sec.

The TG mode frequency varies strongly during cooling, and further decreases proportion to H^- accumulation rate (cyan vs green).

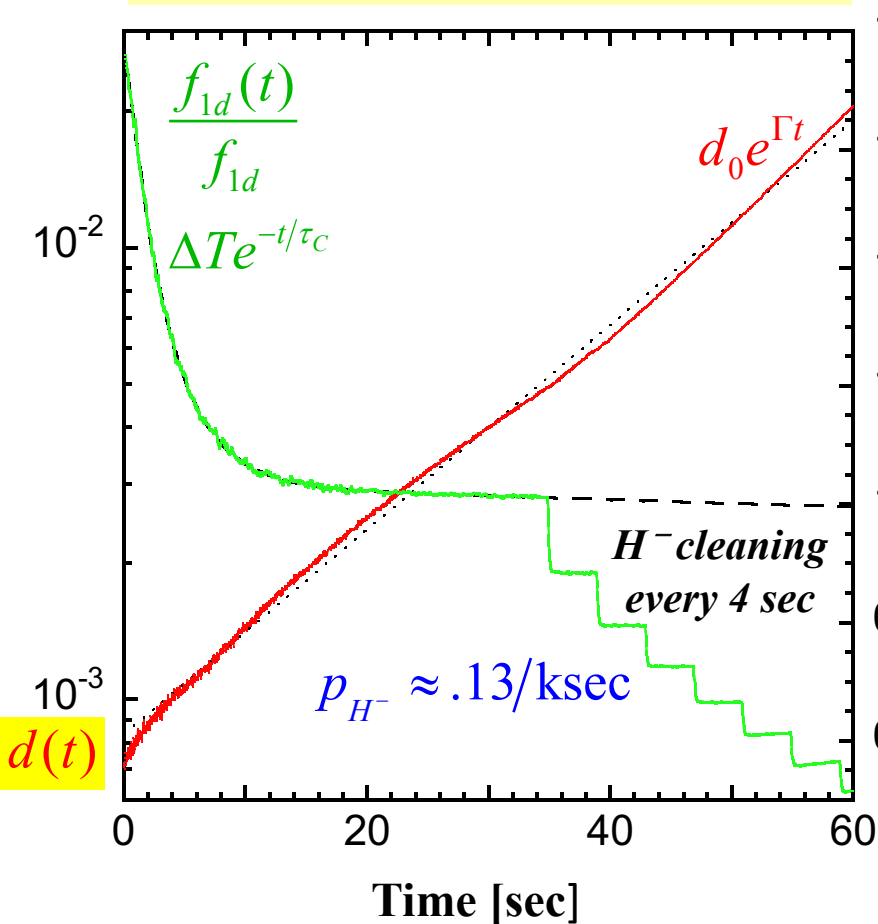
The diocotron mode frequency is insensitive to H^- mass accumulation, but the mode is weakly unstable due to finite wall resistance.

>> We observe **algebraic damping** of the diocotron mode proportional to the number of accumulated H^- ions, and this damping may overcome the weak wall instability.

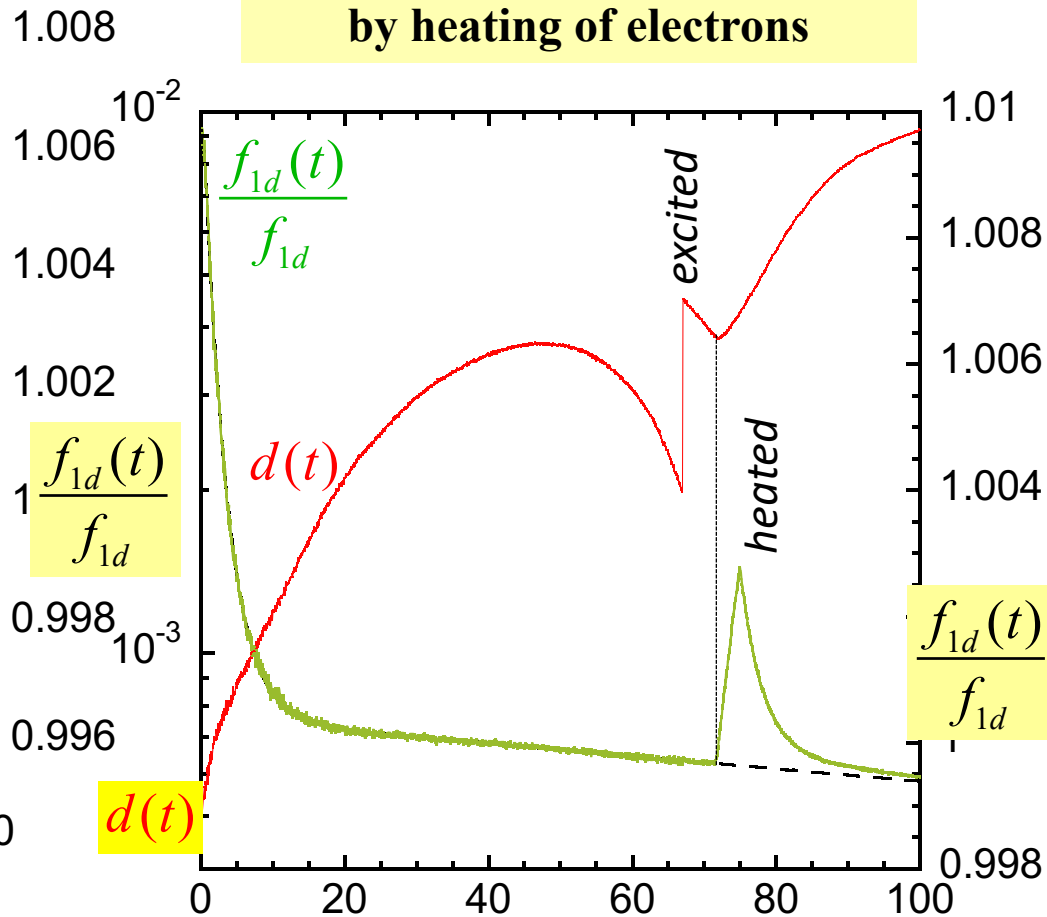
Cleaning the H^- ions from the system by ion-TG-frequency "shaking" immediately decreases f_{1d} and restores the weak exponential growth.



Exponential growth is sustained by continuous cleaning of H^-



Exponential growth is restored (algebraic damping is halted) by heating of electrons



Right Plot : The slow *exponential* diocotron growth (due to the resistive wall) is negated by outward H^- transport and *algebraic* mode damping when sufficient H^- is accumulated.

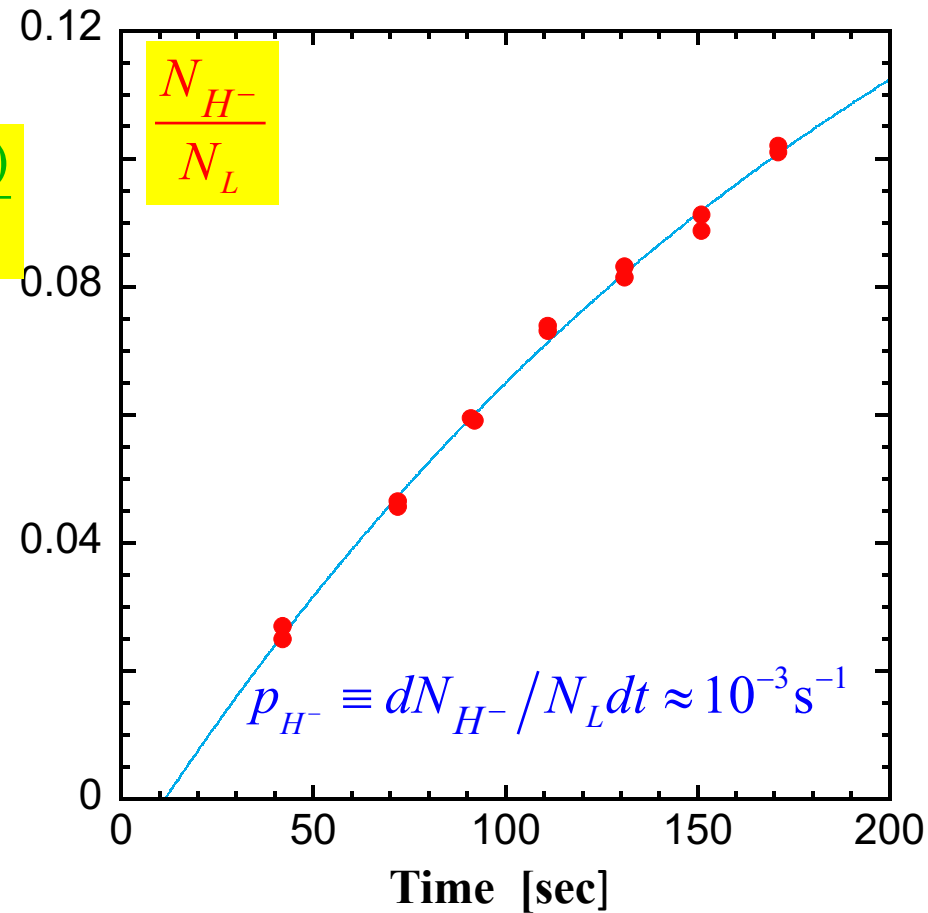
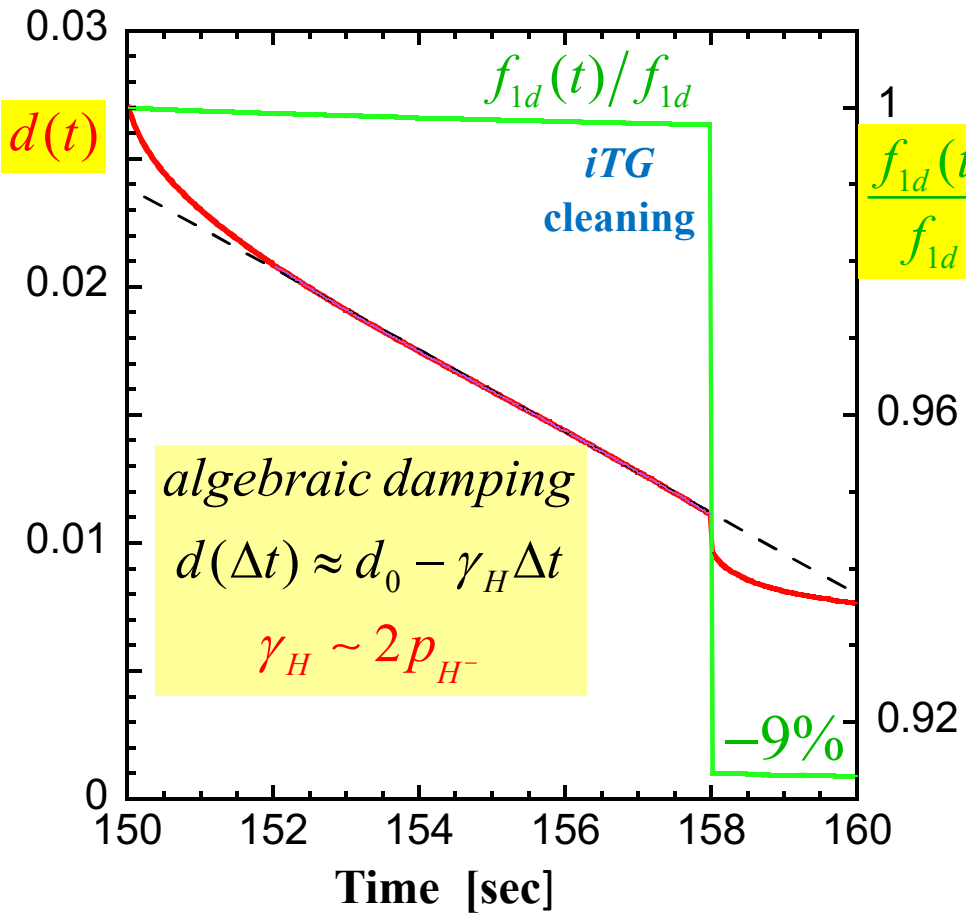
Exciting a 2x larger mode establishes 2x larger (algebraic) damping.

Heating the plasma to $T \sim 0.2\text{eV}$ restores the weak exponential growth, by killing the H^- induced damping.

Left Plot : Similarly, cleaning" the H^- axially out of the plasma prevents the H^- algebraic damping.

H^- fraction up to 10% is accumulated in a cold electron plasma during ~ 100 sec.

**Then, an excited diocotron mode shows *algebraic* damping at rate γ_H ,
equilibrating to $\sim 2x$ the H^- production (and loss) rate**



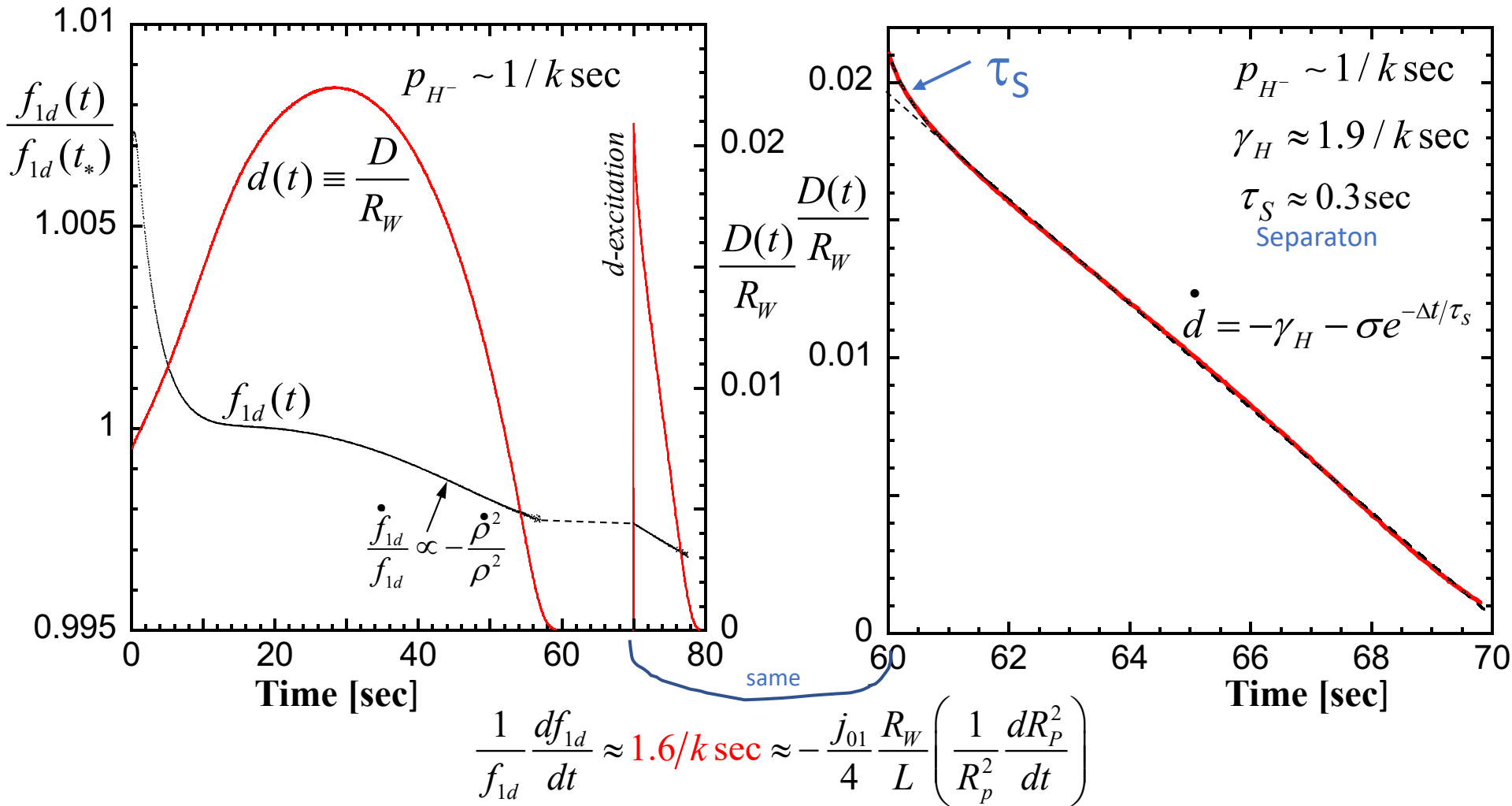
Left Plot : A diocotron mode is excited after 150.sec of H- accumulation and outward expansion. $d(t)$ clearly shows algebraic rather than exponential damping.

Then, "cleaning" the H- ions by axial ejection causes a 9% decrease in total charge, as indicated by f_{1d} . It also reduces the H- damping to near zero.

Right Plot : Performing the "cleaning" at various times establishes the H- production rate p_{H^-} .

Algebraic damping rate γ_H is compatible with the concurrent plasma transport rate as

$$\gamma_H \sim (dR_p^2/dt) / R_p^2, \text{ as measured by } (d/dt)f_{1d} / f_{1d}$$



Summary

- In the first e^- / H^- plasma experiments we have found that accumulation (production) of H^- ions causes *algebraic* damping of diocotron modes, with a corresponding accelerated radial transport (*mass separation*) of the H^- ions. The observed centrifugal separation time ($< 1\text{sec}$) is much faster than expected from inter-species collisional drag ($\sim 10^4\text{sec}$), and independent of B .

Some other interesting effects observed in the first e^- / H^- experiments:

- Enhanced cooling of electrons in collisions with H^- ions (cooled by neutrals)
- Enhanced damping of plasma waves due to e^- / H^- collisional (viscous) drag
- Effective resonant acceleration (cleaning) of H^- ions at the iTG frequency
- Strong *exponential* damping of diocotron modes in a "floppy" H^- plasmas
(after ejecting axially the electron component)